During years I have spent a lot of time and effort in attempts to imagine various options

for the construction of \$S\$-matrix - in Zero Energy Ontology (ZEO) \$M\$- and \$U\$-matrices -

and it seems that there are quite many strong constraints, which might lead to a more or

less unique final result if some young analytically blessed brain decided to transform

these assumptions to concrete calculational recipes.

The realization that\index{WCW} WCW spinors correspond to von Neumann algebras known as

hyper-finite\index{factors of type \$II_1\$} factors of type \$II_1\$
meant a turning point

also in the attempts to construct \$S\$-matrix. A sequence of trials and errors led rapidly

to the generalization of the quantum measurement theory and reinterpretation

of\index{\$S\$-matrix} \$S\$-matrix elements as entanglement coefficients of zero energy

states in accordance with the ZEO applied already earlier in TGD inspired cosmology. ZEO

motivated the replacement of the term \blockquote{\$S\$-matrix} with \blockquote{\$M\$-matrix}.

The general mathematical concepts are not enough to get to the level of concrete

scattering amplitudes. The notion of preferred extremal inspiring the notion of

generalized Feynman diagram is central in bringing in this concretia. The very notion of

preferred extremals means that ordinary Feynman diagrams providing a visualization of

path integral are not in question. Generalized Feynman diagrams have 4-D Euclidian

space—time regions (wormhole contacts) as lines, and light—like partonic orbits of

2-surfaces as 3-D lines. String world sheets carrying fermions are also present and have

1-D boundaries at the light-like orbits of partonic 2-surfaces carrying fermion number and

light-like 8-momenta suggesting strongly 8-D generalization of twistor approach.

The resulting objects could be indeed seen as generalizations of twistor diagrams rather

than Feynman diagrams. The preferred extremal property strongly encourages the old and

forgotten TGD inspried idea as sequences of algebraic operations with product and

co-product representing 3-vertices. The sequences connect given states at the opposite

boundaries of CD and have minimal length. The algebraic structure in

question would be the

Yangian of the super-symplectic algebra with generators identified as super-symplectic

charges assignable to strings connecting partonic 2-surfaces.

The purpose of this chapter is to collect to single chapter various general ideas about

the construction of M^- and give a brief summary about intuitive picture behind

various matrices. Also a general vision about generalized Feynman diagrams is formulated.

A more detailed construction requires the introduction of generalization of twistor approach to 8-D context.